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Article

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Reference: Owusu Junior, Peterson/Alagidede, Imhotep Paul et. al. (2020). Shape-shift contagion in emerging markets equities : evidence from frequency- and time-domain analysis. In: Economics and Business Letters 9 (3), S. 146 - 156.
<https://reunido.uniovi.es/index.php/EBL/article/download/14292/13390/37494>.
doi:10.17811/ebl.9.3.2020.146-156.

This Version is available at:
<http://hdl.handle.net/11159/5020>

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Shape-shift contagion in emerging markets equities: Evidence from frequency- and time-domain analysis

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Received: 1 November 2019

Revised: 10 December 2019

Accepted: 20 January 2020

Abstract

We explore interdependence and contagion in the top 9 emerging markets and the US equities using a novel time-varying generalised lambda distribution (GLD)-based Baruník & Křehlík (2018) (BK18) spillover technique. The GLD accounts for the extreme returns while the BK18 capture the nonlinear, nonstationary, asymmetric, and time-dependent comovements in higher moments. We find dominance of some emerging markets instead of the US in the frequency-dependent spillovers. We also establish shape shift-contagion in emerging markets equities in the short-term. Our results shed new light on the sources of connectedness and contagion through the shape parameters of equity returns.

Keywords: shape parameters; lambda distribution; variance decomposition; emerging markets
JEL Classification Codes: C1, C5, C14

1. Introduction

Interdependence and contagion have been explored for many years, particularly since the Asian Russian, Mexican, and Brazilian crises in the late 1980s and 1990s (Diebold & Yilmaz, 2009). Financial markets connectedness also have unavoidable implications for risk management and policy decisions, among others. An ongoing debate has bordered on whether a spillover constitutes interdependence or contagion (Forbes & Rigobon, 2002).

The extant literature emphasise the importance of higher moments in risk analysis and portfolio diversification (Bessembinder, 2018; Martellini & Ziemann, 2010; Müller & Wagner, 2018), among others. However, the literature is scanty on the origins of connectedness through higher moments of returns (see, Fry-McKibbin, Hsiao, & Martin, 2017; Chan, Fry-McKibbin, & Hsiao, 2019). Especially in the context of emerging markets (EMs) equities the literature is nonexistent. We deem this paper an important addition to the literature on EMs, contagion and spillover in general.

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Citation: Owusu Junior, P., Alagidede, I., and Tweneboah, G. (2020) Shape-shift contagion in emerging markets equities: Evidence from frequency- and time-domain analysis, *Economics and Business Letters*, 9(3), 146-156.

DOI: 10.17811/eb1.9.3.2020.146-156

We examine the sources of interdependence and contagion through the shape parameters of a sampled EMs equities. To this end, we estimate rolling skewness and kurtosis values from the Freimer, Kollia, Mudholkar, & Lin (1988) generalised lambda distribution (FKML-GLD) and apply the frequency-and time-domain connectedness of Baruník & Křehlík (2018) (BK18) technique to these series. The GLD is selected for its mathematical simplicity and adequacy to easily fit extreme tails of data (Karian & Dudewicz, 2016; Su, 2007). The BK18 is able to capture time-varying instability, nonlinearity, and nonstationarity in the returns. Dealing with nonlinearity, asymmetries have become increasingly important in contagion studies. For instance, Bampinas & Panagiotidis (2017) employ the local Gaussian correlation to capture nonlinearities between US stock markets and 1-4 months maturities of West Texas Intermediate (WTI) daily spot and futures crude oil prices (see also, Bae, Karolyi, & Stulz, 2003; Baur, 2013; Bodart & Candelon, 2009). The time-varying feature of the BK18 also appeals to the heterogeneous market hypothesis (HMH) (Müller et al., 1993) and prompts the need to delineate return series into short-, medium-, and long-term horizons to suit different investment preferences. In so doing, we contribute to the literature by hypothesising shape shift-contagion (SSC) as an extension of Forbes & Rigobon's (2002) shift-contagion.

Thus, we analyse comoments (coskewness and cokurtosis¹) in the narrow sense of using comovement in skewness and kurtosis of the selected EMs equities to examine their interdependence and contagion. The BK18 enables us to measure contagion in similar fashions as Forbes & Rigobon (2002) (i.e. a sharp increase in cross-market spillovers at some frequency band(s)) (see; Saiti, Bacha, & Masih, 2016; Diebold & Yilmaz, 2009). With both time- and frequency-domain examination of higher moments' connectedness, we provide fresh evidence in the interdependence and contagion literature.

Our results indicate that spillovers are time-varying and frequency-dependent across the system for both asymmetric and extreme returns shock propagation. Contagious episodes are short-lived and "delayed" after the global financial crisis (GFC). Further, the US, however, a net transmitter of shocks does not dominate in spillovers, but South Korea, Brazil, and Mexico dominate the other markets at some frequency bands.

2. Methodology

We combine time-varying FKML-GLD and BK18 to investigate SSC in the selected EMs equities. We extract the daily one-month rolling shape parameters (lambda 3 (L3) for skewness and lambda 4 (L4) for kurtosis) estimates. The rolling BK18 technique decomposes the series into frequency-domain to permit the examination of connectedness at higher and lower frequencies over time.

2.1 The GLD

The GLD (Ramberg & Schmeiser, 1974) is an inverse distribution function of Tukey's lambda (TL) distribution given as

$$X = Q(U) = \begin{cases} \frac{[U^\lambda - (1-U)^\lambda]}{\lambda}, \lambda \neq 0 \\ \frac{\log U}{1-U}, \lambda = 0 \end{cases} \quad (1)$$

where U a uniform (0, 1) random variable and the transformation $Q(*)$, referred to as the quantile function, yields $Q(\alpha)$ as the α^{th} quantile ($0 < \alpha < 1$) or $100\alpha^{th}$ percentile of the distribution of X . The FKML-GLD, given $\lambda_4 > 0$, is defined over all λ_3 and λ_4 as

¹ Comoment, coskewness, and cokurtosis are not defined in strong mathematical and statistical terms as in, for instance, Fry-McKibbin, Hsiao, & Martin, (2017). We define these as the connectedness of the higher moments among the 10 markets with BK18 spillover index.

$$F^{-1}(\rho|\lambda) = \lambda_1 + \frac{\left[\frac{\rho^{\lambda_3-1}}{\lambda_3} - \frac{(1-\rho)^{\lambda_4-1}}{\lambda_4} \right]}{\lambda_2}, \tag{2}$$

where ρ are the probabilities $\rho \in [0, 1]$, λ_1, λ_2 are location and λ_3, λ_4 represent shape parameters, respectively. The probability density function at $x = F^{-1}(\rho|\lambda)$ is given as

$$f(x) = f(F^{-1}(\rho|\lambda)) = \frac{\lambda_2}{\lambda_3 \rho^{\lambda_3-1} - \lambda_4 (1-\rho)^{\lambda_4-1}} \tag{3}$$

where parameter combinations of λ must yield $f(x) \geq 0$ and $\int f(x)dx = 1$ (Pfaff, 2016). In estimating the parameters, we have employed rolling window technique. For daily moments, we partition the series into $k = N - m + 1$ subsamples where $m = 20$ denotes the window length, and N denotes sample size.

2.2 The Barunik & Krehlik (2018) spillover index

The BK18 measures connectedness using generalised forecast error variance decompositions (GFEVDs). It is based on the matrix of a vector autoregressive (VAR) Eq. 4 model of local covariance stationarity. Let K -variate process $Y_t = (y_{1,t}, \dots, y_{K,t})'$ at $t = 1, \dots, T$ and a VAR(ρ) may be represented as

$$Y_t = \sum_{i=1}^p \phi_i y_{t-i} + \epsilon_t, \tag{4}$$

where ϕ_i and ϵ_i are coefficient matrices and white noise with (likely non-diagonal) covariance matrix Π . It is useful to work with a $(K \times K)$ matrix $(I_K - \phi_1 L - \dots - \phi_p L^p)$ with identity I_K . If the roots of the characteristic equation $|\theta(z)|$ lie outside of the unit circle, the VAR system has a moving average $MA(\infty)$

$$Y_t = \psi(L)\epsilon_t, \tag{5}$$

with $\psi(L)$ being an infinitely lagged polynomial. The GFEVD, the contribution of the kth variable to the variance of forecast error of the element j can be written as

$$(\Theta_H)_{j,k} = \frac{\sigma_{kk}^{-1} \sum_{h=0}^H ((\psi_h \Pi)_{j,k})^2}{\sum_{h=0}^H (\psi_h \Pi_{h'})_{j,k}} \tag{6}$$

where $h = 1, \dots, H$ and $\sigma_{kk} = (\Pi_{kk})$. This is possible because the connectedness measure depends on variance decompositions, being the transformations of ψ_h and serves as contribution of the shocks to the system. Since contributions in the row do not sum to unity, the matrix Θ_H is standardized as

$$(\tilde{\Theta}_H)_{j,k} = \frac{(\Theta_H)_{j,k}}{\sum_{k=1}^N (\Theta_H)_{j,k}} \tag{7}$$

For total connectedness, the pairwise connectedness Eq. 7 can be aggregated, and defined as the share of variance in the forecasts contributed by errors other than own error or the ratio of the sum of the off-diagonal elements to the sum of the entire matrix (Diebold & Yilmaz, 2012) as

$$C_H = 100 * \frac{\sum_{j \neq k} (\tilde{\Theta}_H)_{j,k}}{\sum \tilde{\Theta}_H} = 100 * \left(1 - \frac{Tr\{\tilde{\Theta}_H\}}{\sum \tilde{\Theta}_H} \right), \tag{8}$$

where $Tr\{.\}$ is the trace operator, denominator is the arithmetic sum of all elements in the matrix. Bi-directional (“to” market i from all other markets k , and vice versa (“from”))

connectedness can be measured. From these “net” connectedness is also measured as the difference between “to” spillovers and “from” spillovers. Hence a market with a positive net spillover is a **net transmitter** while the one with a negative spillover is a **net recipient** of shocks.

In spectral representation, a frequency response function $\psi(e)^{-i\omega} = \sum_h e^{-i\omega h} \psi_h$ of Fourier transformable coefficients ψ_h with $i = \sqrt{-1}$, a density of Y_t at frequency ω can be defined as $MA(\infty)$ filtered series

$$S_{y(\omega)} = \sum_{h=-\infty}^{\infty} E(Y'Y_{t-h})e^{-i\omega h} = \psi(e^{-i\omega})\Pi\psi'(e^{+i\omega}). \tag{9}$$

The power spectrum $S_{y(\omega)}$ describes the distribution of the variance of Y_t over the frequency components ω . The causation spectrum over $\omega \in (-\pi, \pi)$ is defined as

$$(\mathcal{F}(\omega))_{j,k} = \frac{\sigma_{kk}^{-1} |\psi(e^{-i\omega})\Pi_{j,k}|^2}{(\psi(e^{-i\omega})\Pi\psi'(e^{+i\omega}))_{j,j}}, \tag{10}$$

noting that it represents the portion of the i th variable due to shocks in the k th variable at a given frequency ω . It follows that $(\mathcal{F}(\omega))_{j,k}$ can be interpreted as *within-frequency* causation on account of the denominator.

In practically finance, it is better to measure connectedness over time horizons (i.e. bands $d = (a, b): a, b \in (-\pi, \pi), a < b$) as opposed to a single frequency point. A scaled2 decomposition over d can be defined as

$$(\tilde{\Theta}_d)_{j,k} = (\Theta_d)_{j,k} / \sum_k (\Theta_\infty)_{j,k}. \tag{11}$$

Subsequently, the within-frequency and frequency connectedness are defined in Eq. 12 and Eq. 13, respectively.

$$C_d^W = 100 * \left(1 - \frac{Tr\{\tilde{\Theta}_d\}}{\sum \tilde{\Theta}_d} \right) \tag{12}$$

$$C_d^F = 100 * \left(\frac{\sum \tilde{\Theta}_d}{\sum \tilde{\Theta}_\infty} - \frac{Tr\{\tilde{\Theta}_d\}}{\sum \tilde{\Theta}_\infty} \right) = C_d^W * \left(\frac{\sum \tilde{\Theta}_d}{\sum \tilde{\Theta}_\infty} \right) \tag{13}$$

We use the frequency bands $(\pi + 0.00001, \pi/64, 0)$ which correspond to intraweek (short-term) and quarter and beyond (long-term) periods (see Baruník & Křehlík, 2018; Tiwari, Cunado, Gupta, & Wohar, 2018; Tiwari, Shahbaz, Hasim, & Elheddad, 2019).

3. Data

Our data comprises daily one-month rolling estimates of L3 and L4 from 01/01/2001 to 18/02/2019. Our data was gleaned from Bloomberg Terminal which are the top³ 9 Morgan Stanley Capital International (MSCI) EMs and US equity indices. The US is deemed the originator of the 2007-2009 GFC (Mollah et al., 2016). It is only appropriate that the comovements of asymmetric (skewness) and extreme (kurtosis) returns in EMs are examined by including the US index. A 100-day ahead forecast horizon (H) and a rolling window 100 days are used. That representing about one-quarter of a year and it is enough to account for time-variations. The rolling window mechanism avoids the need to exogenously specify crisis

² Scaling factor is 100. It’s also the minimum forecast horizon H and rolling window size to implement the BK18 framework.

³ <https://www.msci.com/emerging-markets>, as of March 29, 2019.

Table 1. Summary statistics of selected EMs and US equities.

Market	China	S. Korea	Taiwan	India	Brazil
Panel A					
Obs.	4666	4666	4666	4666	4666
Mean	0.0003	0.0004	0.0001	0.0003	0.0002
Variance	0.0003	0.0003	0.0002	0.0003	0.0005
Skewness	-0.11	-0.19	-0.12	-0.10	-0.26
Kurtosis	6.35	15.08	2.81	9.55	6.85
Normtest.W*	0.93	0.91	0.96	0.92	0.94
L3 Panel B					
Obs.	4530	4530	4530	4530	4530
Mean	0.45	-2E+15	0.43	0.48	0.49
Variance	0.28	1.85E+34	0.34	0.28	0.25
Normtest.W*	0.95	0.03	0.94	0.95	0.96
L4 Panel C					
Obs.	4530	4530	4530	4530	4530
Mean	0.48	1.01E+15	0.42	0.52	0.53
Variance	0.31	4.62E+33	0.33	0.30	0.30
Normtest.W*	0.91	0.00	0.94	0.94	0.85

start and end periods. We are able to account for major changes in the shape spillovers (by plotting the resulting spillover indices) sample period (Yilmaz, 2010).

4. Results

4.1 Descriptive statistics

In Table 1 (Panel A) skewness and kurtosis values indicate non-normality and leptokurtic behaviour across the board. We also find that rolling L3 and L4 estimates are non-Gaussian for all the markets (Panel B). We observe an extremely large negative of L3 (-9.2E+18) and equally large mean (-2E+15) and variance (1.85E+34) values. Similar deductions can be made for L4. Hence, chances are, the GLD better estimates the moments of the series than the Gaussian distribution. The Shapiro-Wilk test confirms these by rejecting the normality assumption. All series pass the Augmented Dickey-Fuller (ADF)-Generalised Least Squares (GLS) Kwiatkowski-Phillips-Schmidt-Shin (KPSS) stationarity⁴ tests.

4.2 Frequency-domain (static) analysis

The static *within* (WTH) and *absolute* (ABS) spillovers are shown in Table 2 for both skewness (Panel A) and kurtosis (Panel B). The ij th entry is the spillover from market i to market j . Diagonal entries ($i = j$) indicate the fraction of the forecast error variance of market i from its own shocks. We find that *within* connectedness are larger than *absolute* connectedness across the board. For every *absolute* connectedness value, there is a corresponding value *within* connectedness to indicate causality.

In Panel A, we find that the spillover among the 10 markets is stronger in the long-terms (dominated by Mexico) than in the short-term (dominated by South Korea). In Panel B, long-term connectedness is stronger (led by Mexico) than short-term (jointly led by Brazil and Mexico). We see both large and small markets dominating causal spillovers. A large market like South Korea dominates asymmetric (skewness) spillovers in the short-term while relatively small markets (Brazil and Mexico) lead in both asymmetric and extreme (kurtosis) returns spillovers. Also, the US is a net transmitter of shocks, but does not dominate in the propagation

⁴ Not presented. The BK18, however, works on local stationarity (i.e. is stationarity within a neighbourhoods (frequency bands). This can be likened to the local Gaussian approximation and local correlation (see Bampinas & Panagiotidis, 2017; Støve, Tjøstheim, & Hufthammer, 2014).

Table 1 (cont'd). Summary statistics of selected EMs and US equities.

Market	S. Africa	Rusia	Mexico	Thailand	US
Panel A					
Obs.	4666	4666	4666	4666	4666
Mean	0.0002	0.0003	0.0002	0.0004	0.0002
Variance	0.0003	0.0005	0.0003	0.0002	0.0001
Skewness	-0.29	-0.43	-0.17	-0.49	-0.24
Kurtosis	4.02	13.55	6.88	9.38	9.34
Normtest.W*	0.96	0.89	0.93	0.93	0.90
L3 Panel B					
Obs.	4530	4530	4530	4530	4530
Mean	0.53	0.48	0.49	0.50	0.46
Variance	0.25	0.34	0.28	0.34	0.28
Normtest.W*	0.96	0.94	0.96	0.90	0.96
L4 Panel C					
Obs.	4530	4530	4530	4530	4530
Mean	0.57	0.48	0.49	0.41	0.48
Variance	0.26	0.34	0.25	0.28	0.26
Normtest.W*	0.96	0.93	0.96	0.96	0.96

of spillovers contrary to many findings (see, Boubaker, Jouini, & Lahiani, 2016; Meinus, 2017; Shahzad, Nor, Kumar, & Mensi, 2017; Wang et al., 2017). Again, spillovers are frequency-dependent in magnitude and sign (positive/negative).

4.3 Rolling (time-frequency-domain) analysis

This accounts for time evolution of total connectedness and helps to determine the existence of contagion or otherwise. The results are presented in Figure 1 for skewness and kurtosis. For skewness (a), overall connectedness increases in magnitude and frequency, fluctuating around 2% to 7% in the short-term and around 1% to 65% in the long-term. We detect contagion around middle of 2017. But in the long-term, spillovers are high (about 50%) on average over the periods, so interdependence suffices.

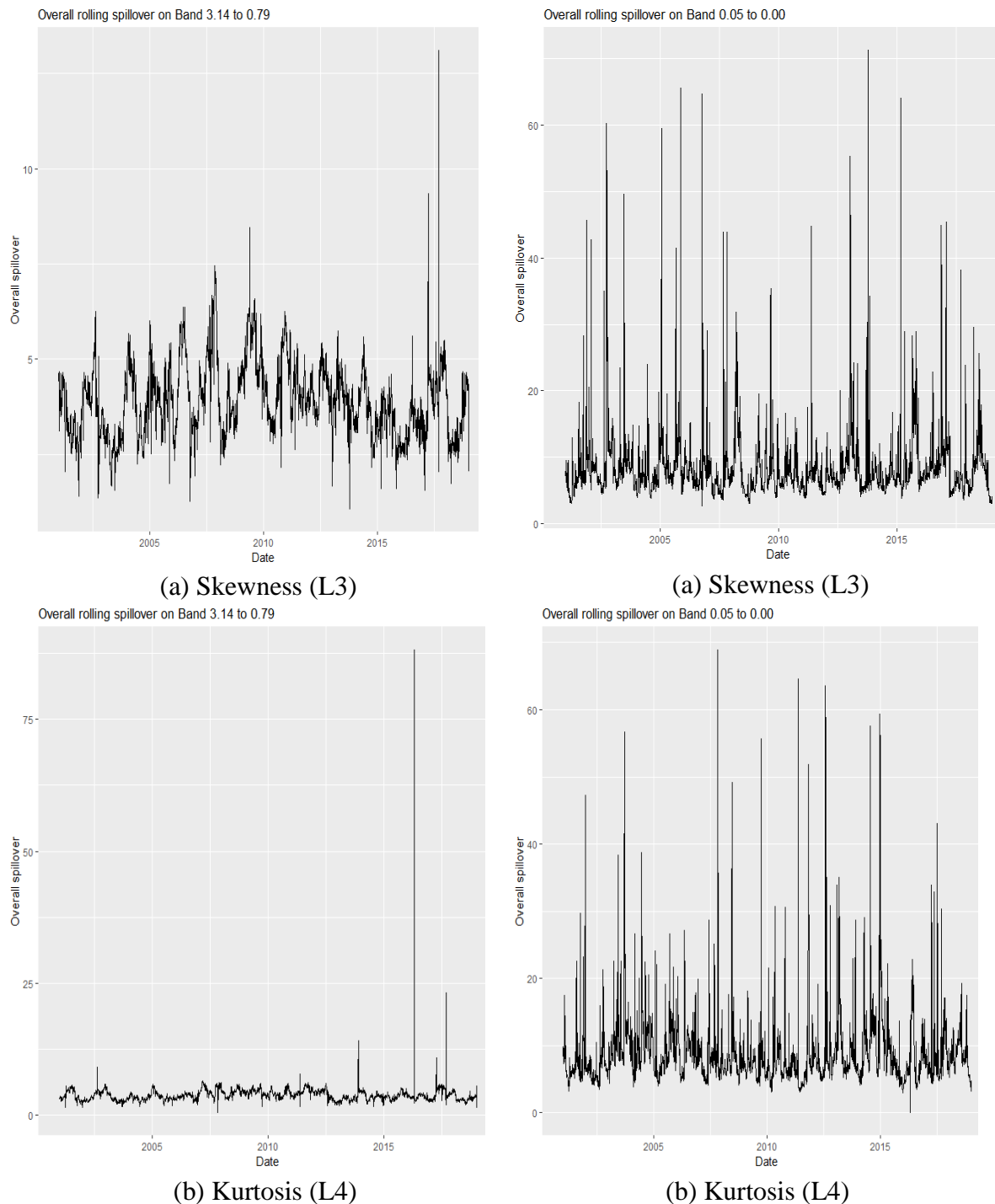
Extreme return (b) spillovers also follow an upward trend with frequencies. The markets are strongly connected and more contagious by extreme returns than by asymmetric returns. We observe contagious episodes around late 2016 in the short-term (a connectedness of about 90% compared to about 5% average) and about 25% in early 2018. We rule out contagion in the long-term for kurtosis.

Compositely, contagious episodes are in the short-term and short-lived but only interdependence exists in the long-term for both skewness and kurtosis. The approximate contagion dates are removed from the GFC and Eurozone crisis. These corroborate the *delayed* contagion hypothesis of Boako & Alagidede (2016). We also confirm Forbes & Rigobon's (2002) *shift-contagion*. More importantly, our *shape shift-contagion* hypothesis is adequately established. Hence, we have established *delayed-shape shift-contagion*. We can conclude from these results that while financial crises episodes pose immediate threat to many markets, it is also important that traders and policy makers focus on spillovers for longer periods in the aftermath of these crises.

5. Concluding remarks

We introduced a GLD-based BK18 analysis of higher moments to examine connectedness in EMs and US equities. We found that spillovers increase through time with South Korea (short-term), Brazil (short-term), and Mexico (both short- and long-terms) dominating rather than the US. However, the US is only a **net transmitter** of shocks but never a **net recipient** across the board. One can surmise that emerging market economies are to be cautious of the policy

Figure 1. Overall rolling spillovers between higher moments of the top 9 EMs and US equities.



implications bordering on cross-market integration among themselves instead of with external countries like the US.

We confirm our *shape shift-contagion* hypothesis in the short-term as we evidence sudden increases in connectedness values between late 2016 and mid-2017 which are removed from the 2007-2009 GFC. Thus, traders and policy makers should look beyond crisis periods to contain consequences they bring. We also find connectedness to be both time-varying and frequency-dependent and hence should inform both policy and trading strategies accordingly.

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Table 2. Total spillover and Net spillover indices between higher moments of the top 9 EMs and US equities.

<i>Panel A – Skewness (L3)</i>												
	China	S. Korea	Taiwan	India	Brazil	S. Africa	Russia	Mexico	Thailand	US	FROM_ABS ^a	FROM_WTH ^b
<i>Spillover for band: 3.14 to 0.79; corresponds to 1 days to 4 days</i>												
China	15.58	0	0.02	0.04	0	0.02	0.02	0.03	0.01	0.03	0.02	0.09
S. Korea	0.01	75.01	0.19	0.03	0	0	0.01	0.03	0.01	0.01	0.03	0.15
Taiwan	0.02	0.01	11.66	0.01	0	0	0	0.01	0.01	0	0.01	0.04
India	0.05	0.02	0.01	13.03	0.01	0	0.01	0.01	0	0.01	0.01	0.06
Brazil	0.01	0	0	0	12.59	0.01	0	0.06	0.01	0	0.01	0.04
S. Africa	0.01	0	0	0	0	12.58	0.01	0.02	0	0.01	0.01	0.03
Russia	0.01	0	0	0.01	0.01	0.02	14.01	0.01	0	0.05	0.01	0.06
Mexico	0	0	0	0	0.03	0.01	0.01	11.11	0	0	0.01	0.03
Thailand	0.03	0	0.03	0	0.01	0.01	0.01	0	14.08	0.01	0.01	0.05
US	0.01	0.01	0	0	0	0	0.01	0	0.01	13.04	0.01	0.03
TO_ABS ^a	0.02	0.01	0.03	0.01	0.01	0.01	0.01	0.02	0.01	0.01	0.12	
TO_WTH ^b	0.08	0.03	0.14	0.05	0.03	0.04	0.05	0.09	0.03	0.06		0.60
Net	-0.002	-0.023	0.019	-0.002	-0.002	0.002	-0.002	0.010	-0.004	0.005		
<i>Spillover for band: 0.05 to 0.00; corresponds to 64 infinite days</i>												
China	11.59	0	0	0.35	0.03	0.03	0.01	0.01	0.13	0.01	0.06	0.45
S. Korea	0.01	0.99	0	0	0.01	0	0.01	0	0	0.01	0	0.02
Taiwan	0.01	0.02	15.53	0	0.02	0	0.04	0.01	0	0.06	0.02	0.13
India	0.01	0	0.22	12.72	0.07	0.29	0.02	0.01	0	0.02	0.06	0.49
Brazil	0.01	0	0.07	0	13.75	0.16	0.03	0.12	0	0.01	0.04	0.32
S. Africa	0.06	0.02	0.23	0.09	0.01	14.27	0.17	0.01	0.05	0.1	0.07	0.56
Russia	0.2	0.02	0.04	0.01	0.06	0.12	14.19	0.1	0	0	0.06	0.43
Mexico	0.08	0	0	0.02	0.89	0.02	0.14	14.1	0.08	0.32	0.16	1.22
Thailand	0.02	0	0.01	0.01	0.01	0.08	0.08	0.02	12.46	0.07	0.03	0.23
US	0.03	0.01	0.01	0.08	0.1	0.02	0	0.03	0	13.25	0.03	0.23
TO_ABS ^a	0.04	0.01	0.06	0.06	0.12	0.07	0.05	0.03	0.03	0.06	0.52	
TO_WTH ^b	0.33	0.06	0.45	0.44	0.93	0.57	0.39	0.24	0.21	0.46		4.09
Net	-0.015	0.004	0.041	-0.006	0.078	0.001	-0.005	-0.125	-0.002	0.030		

Note: ^a *Absolute to* measures skewness/kurtosis spillovers from country *j* to other countries. *Absolute from* measures skewness/kurtosis spillovers from other countries to country *j*. ^b *Within to* measures skewness/kurtosis spillovers from country *j* to other countries, including from own innovations to country *k*. *Within from* measures skewness/kurtosis spillovers from other countries to country *j*, including from own innovations to country *k* (see Tiwari et al., 2018, 2019). The largest contributions of markets per frequency band are in bold italics. S. African and S. Korea represent South African and South Korea, respectively. Positive *Net* indicates that the market is a **net transmitter** while negative *Net* denoted **net recipient** market.

Table 2 (cont'd). Total spillover and Net spillover indices between higher moments of the top 9 EMs and US equities.

<i>Panel B – Kurtosis (L4)</i>												
	China	S. Korea	Taiwan	India	Brazil	S. Africa	Russia	Mexico	Thailand	US	FROM_ABS ^a	FROM_WTH ^b
<i>Spillover for band: 3.14 to 0.79; corresponds to 1 days to 4 days</i>												
China	12.6	0	0.01	0.05	0	0.01	0.01	0.02	0.01	0	0.01	0.05
S. Korea	0	75.13	0.03	0.02	0	0	0.03	0	0.02	0.03	0.01	0.07
Taiwan	0.01	0	13.25	0.01	0.01	0	0	0	0.02	0	0.01	0.03
India	0.04	0.01	0.01	14.54	0.04	0.01	0	0.01	0.01	0	0.01	0.07
Brazil	0.03	0	0.02	0.04	20.5	0.04	0	0.04	0	0.02	0.02	0.1
S. Africa	0.01	0	0.02	0	0.01	12.8	0.03	0.03	0	0	0.01	0.05
Russia	0.01	0	0	0	0	0.01	13.39	0.02	0	0	0.01	0.03
Mexico	0.01	0	0	0	0.03	0.02	0.02	13.24	0	0.07	0.02	0.08
Thailand	0	0.02	0.03	0.01	0	0	0	0	12.24	0.01	0.01	0.04
US	0.01	0	0	0	0	0	0	0.06	0.01	12.63	0.01	0.05
TO_ABS ^a	0.01	0	0.01	0.01	0.01	0.01	0.01	0.02	0.01	0.01	0.11	
TO_WTH ^b	0.07	0.02	0.06	0.06	0.05	0.05	0.04	0.09	0.04	0.07		0.56
Net	0.003	-0.010	0.007	0.003	0.003	0.001	-0.001	-0.011	0.000	0.004		
<i>Spillover for band: 0.05 to 0.00; corresponds to 64 infinite days</i>												
China	13.99	0	0.01	0.01	0.01	0.63	0	0	0.07	0	0.07	0.6
S. Korea	0.01	0.99	0	0	0	0	0	0.01	0	0	0	0.02
Taiwan	0.04	0.02	14.31	0	0.09	0.09	0.04	0.02	0	0.1	0.04	0.31
India	0.01	0	0.05	11.31	0.03	0	0	0	0.02	0	0.01	0.09
Brazil	0.08	0	0	0.04	9.73	0.06	0.12	0.34	0.03	0	0.07	0.55
S. Africa	0.01	0	0.03	0.03	0.05	13.96	0.01	0.02	0	0	0.01	0.12
Russia	0.52	0	0	0.01	0.01	0.18	13.07	0.19	0.02	0.08	0.1	0.82
Mexico	0.07	0	0.01	0.02	0.34	0.2	0.04	12.84	0.02	0.36	0.11	0.86
Thailand	0.08	0	0.06	0.02	0.01	0.49	0.06	0	14.32	0.01	0.07	0.58
US	0	0	0	0.03	0.05	0.05	0.01	0.36	0.02	14.11	0.05	0.42
TO_ABS ^a	0.08	0	0.02	0.01	0.06	0.17	0.03	0.09	0.02	0.06	0.54	
TO_WTH ^b	0.65	0.03	0.14	0.12	0.47	1.38	0.22	0.76	0.15	0.45		4.36
Net	0.006	0.001	-0.022	0.004	-0.010	0.157	-0.074	-0.012	-0.054	0.004		

Note: ^a *Absolute to* measures skewness/kurtosis spillovers from country *j* to other countries. *Absolute from* measures skewness/kurtosis spillovers from other countries to country *j*. ^b *Within to* measures skewness/kurtosis spillovers from country *j* to other countries, including from own innovations to country *k*. *Within from* measures skewness/kurtosis spillovers from other countries to country *j*, including from own innovations to country *k* (see Tiwari et al., 2018, 2019). The largest contributions of markets per frequency band are in bold italics. S. African and S. Korea represent South African and South Korea, respectively. Positive *Net* indicates that the market is a **net transmitter** while negative *Net* denoted **net recipient** market.