DIGITALES ARCHIV

ZBW - Leibniz-Informationszentrum Wirtschaft ZBW - Leibniz Information Centre for Economics

Sani, Zainab; Salisu, Afees A.; Onyia, Eucharia et al.

Article

Modeling exchange rate -interest rate differential nexus in BRICS: the role asymmetry and structural breaks

Economics and Business Letters

Provided in Cooperation with:

University of Oviedo

Reference: Sani, Zainab/Salisu, Afees A. et. al. (2020). Modeling exchange rate -interest rate differential nexus in BRICS: the role asymmetry and structural breaks. In: Economics and Business Letters 9 (2), S. 73 - 83.

https://www.unioviedo.es/reunido/index.php/EBL/article/download/14091/12793. doi:10.17811/ebl.9.2.2020.73-83.

This Version is available at: http://hdl.handle.net/11159/5227

Kontakt/Contact

ZBW - Leibniz-Informationszentrum Wirtschaft/Leibniz Information Centre for Economics Düsternbrooker Weg 120 24105 Kiel (Germany) E-Mail: rights[at]zbw.eu https://www.zbw.eu/econis-archiv/

Standard-Nutzungsbedingungen:

Dieses Dokument darf zu eigenen wissenschaftlichen Zwecken und zum Privatgebrauch gespeichert und kopiert werden. Sie dürfen dieses Dokument nicht für öffentliche oder kommerzielle Zwecke vervielfältigen, öffentlich ausstellen, aufführen, vertreiben oder anderweitig nutzen. Sofern für das Dokument eine Open-Content-Lizenz verwendet wurde, so gelten abweichend von diesen Nutzungsbedingungen die in der Lizenz gewährten Nutzungsrechte.



BY NC ND https://zbw.eu/econis-archiv/termsofuse

Terms of use:

This document may be saved and copied for your personal and scholarly purposes. You are not to copy it for public or commercial purposes, to exhibit the document in public, to perform, distribute or otherwise use the document in public. If the document is made available under a Creative Commons Licence you may exercise further usage rights as specified in the licence.







Modeling exchange rate -interest rate differential nexus in BRICS: The role asymmetry and structural breaks

Zainab Sani¹ • Afees Salisu^{2,3,*} • Eucharia Onyia¹ • Onyebuchi Anih¹ • Lawrence Kanu¹

Received: 27 July 2019 Revised: 10 November 2019 Accepted: 15 November 2019

Abstract

This paper produces three new results for the interest rate differential — exchange rate nexus using data for the BRICS countries. One, it mostly validates the sticky price thesis which specifies negative relationship between interest rate differential and exchange rate in the countries. Two, further probe reveals that exchange rate predominantly responds asymmetrically to interest rate differential in four of the five countries. Three, the study reveals noteworthy result for China, showing that the nonlinearity in the nexus could be better captured with a threshold, rather than an asymmetric model.

Keywords: interest rate differential; asymmetry; structural breaks; BRICS

JEL Classification Codes: E43, F21, F31

1. Introduction

This study investigates the implications of interest rate differential for predicting exchange rate movements in BRICS countries. Previous evidences in support of the linkage are undeniable (see for example, Beng and Ying, 2010; Jackman et al., 2013; Moosa and Burns, 2014; Hacker et al., 2014; Ding and Yang, 2017; Galstyan and Velic, 2017). The theoretical motivation for the study is wrapped around the interest rate parity theory which accord significant role for non-zero interest rate differential to drive investment between the home and foreign economies and thereby serve as a predictor for exchange rate (see Auten, 1963, Hooper and Morton, 1982). Further motivation for the research derives from its investment undertone particularly for emerging BRICS economies whose growth pursuits require stability in the goods and financial markets (see Wulandari, 2012; Beju and Ciupac-Ulici, 2015).

Citation: Sani, Z., Salisu, A., Onyia, E., Anih, O., and Kanu, L. (2020) Modeling exchange rate-interest rate differential nexus in BRICS: The role asymmetry and structural breaks, *Economics and Business Letters*, 9(2), 73-83.

DOI: 10.17811/ebl.9.2.2020.73-83

Oviedo University Press 73

ISSN: 2254-4380

¹ Research Department, Central Bank of Nigeria, Nigeria

² Department for Management of Science and Technology Development, Ton Duc Thang University, Vietnam

³ Faculty of Business Administration, Ton Duc Thang University, Vietnam

^{*} Corresponding author. E-mail: afees.adebare.salisu@tdtu.edu.vn.

¹ The more explicit theoretical models that define the nature of the relationship although differently are the sticky-price approach which specifies the (short run) relationship as negative and the flexible-price approach which outlines positive relationship.

The major contribution of this study is the consideration of asymmetry in the relationship in addition to its being a cross-country analysis. The theory emphasises nonlinearity in the relationship when it envisages different effects of positive and negative interest rate differential on exchange rate. The theory suggests a positive relationship (which leads to exchange rate appreciation) when interest rate differential favours the foreign country, and the reverse when it favours the home economy (see Auten, 1963). Several empirical evidences in our support indicate that exchange rates are better predicted within a nonlinear modelling framework (see Meese and Rogoff, 1983; Kilian and Taylor, 2003; Vygodina et al., 2008). Hence, we expect dissimilar response (i.e. asymmetric effects) of exchange rate to positive and negative interest rate differentials as well as possible differences in short and long run estimates (see Engel, 2016). We capture these asymmetric effects with a nonlinear autoregressive distributed lag (ARDL) technique² and return with interesting findings.

Following the introduction is the methodology section. Section 3 introduces the data and preliminary results. Section 4 discusses the main findings and Section 5 concludes the paper.

2. Methodology

The flexible/sticky-price monetary models (Hooper and Morton, 1982; Bilson, 1978; Frenkel, 1976; Dornbusch, 1976) in line with the assumption of interest rate parity are adequate for explaining the interest rate differential and exchange rate nexus. The synthesis of the models identifies the predictors of bilateral exchange rate to include relative differences in: short-term interest rate, prices, money growth, and output growth between the home country (each of the BRICS countries) and the foreign country (the US as the reference economy). This relation is true when the uncovered interest and purchasing power parities hold between the two economies (see Frankel, 1979).

We reduce this theoretical construction into an Autoregressive Distributed Lag (ARDL) model:

$$\begin{split} \Delta e_t &= c + \phi_1 e_{t-1} + \beta_1 (\pi_{t-1} - \pi_{t-1}^*) + \delta_1 (m s_{t-1} - m s_{t-1}^*) + \lambda_1 (i_{t-1} - i_{t-1}^*) + \\ \gamma_1 (y_{t-1} - y_{t-1}^*) + \sum_{j=1}^p \phi_{2j} \Delta e_{t-j} + \sum_{i=0}^{q_1} \beta_{2i} \Delta (\pi_{t-i} - \pi_{t-i}^*) + \sum_{i=0}^{q_2} \delta_{2i} \Delta (m s_{t-i} - m s_{t-i}^*) + \sum_{i=0}^{q_3} \lambda_{2i} \Delta (i_{t-i} - i_{t-i}^*) + \sum_{i=0}^{q_4} \gamma_{2i} \Delta (y_{t-i} - y_{t-i}^*) + \varepsilon_t \end{split}$$
 (1)³

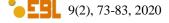
where e_t is the logarithm (log) of the bilateral exchange rate to the US\$ (domestic currency/\$); π_t is the inflation rate, ms_t is the log of the domestic nominal money supply, i_t is the interest rate, y_t is the log of domestic output, the variables denoted with asterisk are corresponding foreign variables (using US data), c is an arbitrary constant, and ε_t is a disturbance term.

Given the focus of the study to tease out the nonlinear asymmetric response of exchange rate to interest rate differential, we specify the nonlinear ARDL variant that captures asymmetry in Eq. (2).

$$\Delta e_{t} = c + \phi_{1} e_{t-1} + \beta_{1} (\pi_{t-1} - \pi_{t-1}^{*}) + \delta_{1} (m_{t-1} - m_{t-1}^{*}) + \lambda_{1}^{+} (i_{t-1} - i_{t-1}^{*})^{+} + \lambda_{1}^{-} (i_{t-1} - i_{t-1}^{*})^{-} + \gamma_{1} (y_{t-1} - y_{t-1}^{*}) + \sum_{j=1}^{p} \phi_{2j} \Delta e_{t-j} + \sum_{i=0}^{q_{1}} \beta_{2i} \Delta (\pi_{t-i} - \pi_{t-i}^{*}) + \sum_{i=0}^{q_{2}} \delta_{2i} \Delta (m_{t-i} - m_{t-i}^{*}) + \sum_{i=0}^{q_{3}} \lambda_{2i}^{+} \Delta (i_{t-i} - i_{t-i}^{*})^{+} + \sum_{i=0}^{q_{4}} \lambda_{2i}^{-} \Delta (i_{t-i} - i_{t-i}^{*})^{-} + \sum_{i=0}^{q_{5}} \gamma_{2i} \Delta (y_{t-i} - y_{t-i}^{*}) + \varepsilon_{t}$$
 (2)

We follow the technique of Shin et al. (2014) in decomposing interest rate differential into positive and negative partial sums as $(i_{t-1} - i_{t-1}^*)^+$ and $(i_{t-1} - i_{t-1}^*)^-$:

³ The attractions for choosing ARDL model is consistent with the earlier stated objective of obtaining short run and long run estimates and the mixed order of integration of the underlying series.



² Some of the remarkable features of the technique can be found in Fauzel (2017) and Woo and Lee (2018).

$$(i_{t-1} - i_{t-1}^*)^+ = \sum_{k=1}^t \Delta(i_{t-1} - i_{t-1}^*)^+ = \sum_{k=1}^t \max(\Delta(i_{t-1} - i_{t-1}^*), 0)$$
 (3)

$$(i_{t-1} - i_{t-1}^*)^- = \sum_{k=1}^t \Delta(i_{t-1} - i_{t-1}^*)^- = \sum_{k=1}^t \min(\Delta(i_{t-1} - i_{t-1}^*), 0)$$
(4)

Figure 1. Exchange rate, interest rate and interest rate differentials in the BRICS countries.

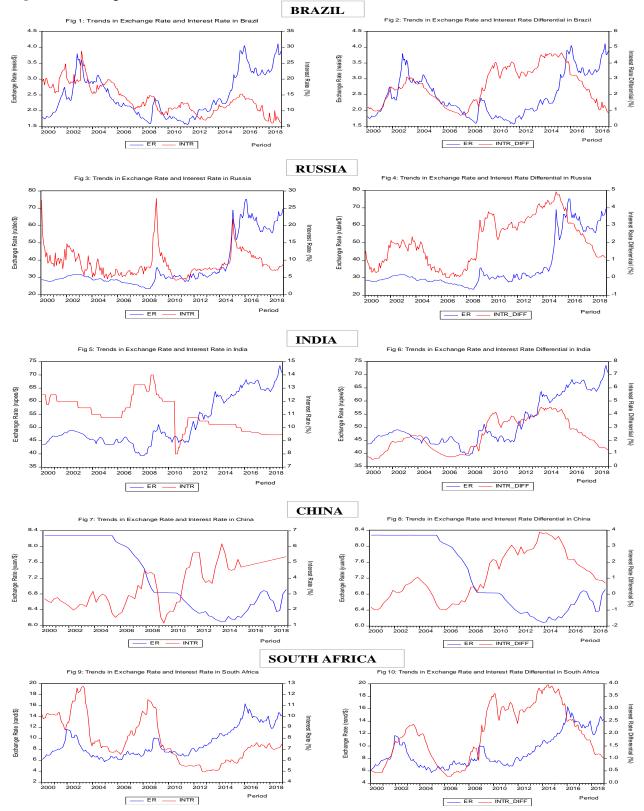


Table 1. Summary Statistics.

BRAZIL	Mean	Std. Dev.	Skewness	Kurtosis	RUSSIA	Mean	Std. Dev.	Skewness	Kurtosis
NER	2.480	0.667	0.608	2.253	NER	36.728	13.932	1.359	3.238
INF	0.511	0.382	2.176	12.464	INF	0.008	0.006	1.359	5.598
INTR	13.384	4.739	0.306	3.316	INTR	8.901	3.522	1.739	7.817
IPIG	0.079	6.496	0.032	2.941	IPIG	0.310	6.879	-1.715	7.800
MS	56.337	38.838	0.514	1.894	MS	49.278	40.757	0.524	1.891
CHINA	Mean	Std. Dev.	Skewness	Kurtosis	INDIA	Mean	Std. Dev.	Skewness	Kurtosis
NER	7.201	0.839	0.229	1.374	NER	51.866	9.045	0.707	2.050
INF	0.537	1.048	0.301	2.918	INF	0.515	0.762	0.690	6.407
INTR	3.600	1.343	0.053	1.623	INTR	11.006	1.246	0.175	2.453
IPIG	-0.065	1.515	-0.068	6.188	IPIG	0.428	5.475	-0.399	3.642
MS	54.955	40.189	0.599	2.006	MS	55.363	38.326	0.522	1.911
S. AFRICA	Mean	Std. Dev.	Skewness	Kurtosis	Reference	Mean	Std. Dev.	Skewness	Kurtosis
NER	9.182	2.654	0.827	2.468	US_INF	0.175	0.382	-0.882	6.817
INF	0.432	0.440	0.297	3.831	US_INTR	1.953	1.962	0.987	2.691
INTR	7.730	2.028	0.683	2.516	US_IPIG	0.070	1.810	0.034	3.381
IPIG	99.877	2.414	-1.632	13.486	US_MS	73.274	23.879	0.396	1.903
MS	64.551	32.635	0.086	1.760					

Note: ER = Bilateral Exchange Rate; IPIG = Growth in Industrial Production Index; INTR = Inter-bank Interest Rate; INF = Inflation; MS = Money Supply.

3. Data and preliminary analysis

3.1. Data sources and description

The study sourced the required dataset for BRICS countries from the International Monetary Fund's International Financial Statistics and the Federal Reserve Bank Database. The data cover 2000M01 to 2018M12 for the countries except China only available at quarterly frequency. The data are presented in turn. NER: Nominal exchange rate which is the bilateral exchange rate of the domestic currency against the US Dollar; INF: Inflation rate computed as $100*\log(\text{cpi/cpi(-1)})$; INT: Interest rate which is the domestic lending rate; IPIG: Industrial Production index Growth derived from the computation of the IPI growth rate as $100*\log(\text{IPI/IPI(-1)})$; and MS: Money supply.

3.2. Preliminary Analyses

Following standard approach to time series modelling, we explore the statistical properties of the variables with descriptive statistics, graphical presentations and unit root tests. From Table 1, using the mean values, India and Russia record the most exchange rate depreciation while Brazil and China experienced it the least during the review period. Brazil with the least exchange rate depreciation, the least volatile exchange rate series (judging by the standard deviation figures) also record the highest interest rate differential. On the other hand, India and Russia with the highest exchange rate depreciation have the most volatile exchange rates and the lowest interest rate differentials. To complement the summary statistics, the co-movements between the series are reported in Figure 1. The figures show that there are negligible differences between the graphs of exchange rate and interest rate and those of exchange rate and interest rate differential.

Further time series analyses based on the Augmented Dickey Fuller (ADF) unit root tests (with and without structural breaks) as employed in Table 2 indicate evidence of mixed order of integration and therefore lend support to our choice of ARDL estimation technique. The preliminary results also show that the presence of structural breaks is real in the data and should be reflected in the main analysis. We also test for the presence of co-integration using the Bounds test approach (see Table 3). The test was conducted on four variants of the ARDL

models; linear ARDL, linear ARDL with structural breaks, nonlinear ARDL, and nonlinear ARDL with structural breaks. We are able to reject the null of no co-integration with the linear model in Brazil, linear model with structural breaks in the case of Russia, India and South Africa. The exception is China where we find no evidence of co-integration irrespective of the variant of ARDL model considered.

Table 2. Unit Root Test Results.

Iog(cpi) -7.112638 [0]*** I(1) log(cpi) -8.836730 [0]*** I(1) 2002M11 log(cpi) -9.914049 [1]** I(1) log(cpi) -10.95940 [0]*** I(1) 2002M10 log(ipi) -4.522002[15]** I(1) log(ipi) -18.69667[0]** I(1) 2000M12 log(ms) -4.216928[4]** I(1) log(ims) -8.273656[0]** I(1) 2018M06 log(intr) -17.65643[0]** I(1) log(ims) -19.36568[0]** I(1) 2018M06 log(intr) -17.65643[0]** I(1) log(ims) -19.36568[0]** I(1) 2018M06 log(cpi) -3.900243 [12]** I(1) log(cpi) -7.974782 [0]** I(1) 2010M06 log(cpi) -3.821090 [11]** I(1) log(cpi) -12.81438 [0]** I(1) 2010M05 log(ms) -4.949349 [4]** I(1) log(ims) -7.782428 [0]** I(1) 2000M01 log(imt) -8.783821 [3]** I(1) log(imt) -18.24219 [0]** I(1) 2004M01 log(cpi) -12.619[10]* I(2) log(cpi) -11.731[0]a,* I(1) 2000M12 log(cpi) -10.512[0]** I(1) log(cpi) -11.731[0]a,* I(1) 2000M12 log(ms) -3.466[12]** I(1) log(ipi) -29.323[0]a,* I(1) 2000M12 log(ms) -3.340[6]** I(1) log(ims) -29.323[0]a,* I(1) 2000M12 log(ms) -3.340[6]** I(1) log(ims) -29.323[0]a,* I(1) 2000M08 log(intr) -14.532[0]* I(1) log(ims) -29.323[0]a,* I(1) 2000M12 log(ms) -3.340[6]** I(1) log(ims) -29.323[0]a,* I(1) 2000M08 log(cpi) -4.862[5]** I(1) log(cpi) -8.839[0]** I(1) 2010M10 log(cpi) -4.897[0]a,* I(1) 2000M08 log(cpi) -4.862[5]** I(1) log(cpi) -8.839[0]** I(1) 2000 Q log(cpi) -3.84[1]** I(1) log(imt) -8.748[0]** I(1) 2009 Q log(cpi) -3.884[1]** I(1) log(imt) -8.074[0]** I(1) 2009 Q log(cpi) -3.884[1]** I(1) log(cpi) -10.467[0]** I(1) 2000M15 log(cpi) -4.258[0]** I(1) log(cpi) -10.467[0]** I(1) 2000M15 log(cpi) -4.258[0]** I(1) log(cpi) -10.467[0]** I(1) 2000M15 log(cpi) -4.258[0]** I(1) log(cpi) -13.004[0]** I(1) 2000M05 log(cpi) -4.258[0]** I(1) log(cpi) -13.004[0]** I(1)				BRAZII	,				
$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$							BREAK DATE		
Dog(ipi) -4.522002[15]a ³ I(1) log(ipi) -18.69667[0]a ⁴ I(1) 2000Mf 20g(ms) -4.216928[4]a ⁸ I(1) log(imtr) -19.36568[0]a ⁴ I(1) 2018M06 2018M0									
Deg(ms) -4.216928[4]a.# I(1) log(ms) -8.273656[0]a.# I(1) 2000M6 log(intr) -17.65643[0]a^A I(1) log(intr) -19,36568[0]a^A I(1) 2018M06	_			=					
No			I(1)			I(1)			
RUSSIA VARIABLE WOSB I(d) VARIABLE WSB I(d) BREAK DAT log(cpi) -3.900243 [12]*** I(1) log(cpi) -7.974782 [0]*** I(1) 2001M06 log(cpi) -11.35222 [0]*** I(1) log(cpi) -12.81438 [0]*** I(1) 2015M01 log(ipi) -3.821090 [11]*** I(1) log(ipi) -19.75439 [0]** I(1) 2000M05 log(ms) -4.949349 [4]*** I(1) log(ms) -7.782428 [0]*** I(1) 2000M01 log(intr) -8.783821 [3]** I(1) log(intr) -18.24219 [0]** I(1) 2004M01 respectively I(1) 2004M12 respectively I(1) 2006M12 respectively I(1)	log(ms)		I(1)	log(ms)		I(1)			
VARIABLE WOSB I(d) VARIABLE WSB I(d) BREAK DATE log(cpi) -3.900243 [12]*** I(1) log(cpi) -7.974782 [0]*** I(1) 2001M06 log(er) -11.35222 [0]*** I(1) log(er) -12,81438 [0]*** I(1) 2015M01 log(ipi) -3.821090 [11]*** I(1) log(ipi) -19.75439 [0]*** I(1) 2000M05 log(ms) -4.949349 [4]*** I(1) log(intr) -7.782428 [0]*** I(1) 2000M01 log(intr) -8.783821 [3]*** I(1) log(intr) -18.24219 [0]** I(1) 2000M01 VARIABLE WOSB I(d) VARIABLE WSB I(d) BREAK DAT log(cpi) -12.619[10]* I(2) log(cpi) -11.731[0]a,* I(1) 2000M12 log(er) -10.512[0]** I(1) log(er) -11.731[0]a,* I(1) 2008M10 og(ipi) -3.466[12]** I(1) log(ipi) -29.323[0]a,* I(1) 2000M12 log(ms) </th <th>log(intr)</th> <th>-17.65643[0]^{a,^}</th> <th>I(1)</th> <th>log(intr)</th> <th>-19,36568[0]^{a,^}</th> <th>I(1)</th> <th>2018M06</th>	log(intr)	-17.65643[0] ^{a,^}	I(1)	log(intr)	-19,36568[0] ^{a,^}	I(1)	2018M06		
Iog(cpi) -3.900243 [12]a, I(1) log(cpi) -7.974782 [0]a, I(1) 2001M06 log(cpi) -11.35222 [0]a, I(1) log(cpi) -12.81438 [0]a, I(1) 2015M01 log(ipi) -3.821090 [11]a, I(1) log(ipi) -19.75439 [0]a, I(1) 2000M05 log(ms) -4.949349 [4]a, I(1) log(ms) -7.782428 [0]a, I(1) 2000M01 log(intr) -8.783821 [3]a, I(1) log(mir) -18.24219 [0]a, I(1) 2000M01 log(intr) -8.783821 [3]a, I(1) log(mir) -18.24219 [0]a, I(1) 2000M01 log(cpi) -12.619 [10]a I(2) log(cpi) -11.731 [0]a, I(1) 2000M12 log(cpi) -10.512 [0]a, I(1) log(cpi) -11.072 [0]a, I(1) 2000M12 log(cpi) -3.466 [12]b, I(1) log(cpi) -29.323 [0]a, I(1) 2000M12 log(ms) -3.340 [6]c, I(1) log(ms) -29.323 [0]a, I(1) 2000M12 log(ms) -14.532 [0]a I(1) log(ms) -29.323 [0]a, I(1) 2000M18 log(intr) -14.532 [0]a I(1) log(cpi) -14.897 [0]a, I(1) 2010M10 log(cpi) -4.862 [5]a, I(1) log(cpi) -8.393 [0]a, I(1) 2003 Q3 log(cpi) -5.405 [0]a, I(1) log(cpi) -6.869 [0]a, I(1) 2009 Q4 log(ms) -6.081 [3]a, I(1) log(cpi) -10.548 [0]a, I(1) 2009 Q4 log(ms) -3.884 [1]a, I(1) log(ms) -5.761 [0]a, I(1) 2009 Q1 log(mr) -3.884 [1]a, I(1) log(ms) -5.761 [0]a, I(1) 2009 Q1 log(cpi) -9.768 [0]a, I(1) log(cpi) -10.467 [0]a, I(1) 2002M10 log(cpi) -9.768 [0]a, I(1) log(cpi) -10.467 [0]a, I(1) 2001M12 log(cpi) -4.558 [2]a, I(1) log(cpi) -12.294 [0]a, I(1) 2001M05 log(ms) -4.285 [6]a, I(1) log(cpi) -13.004 [0]a, I(1) 2001M05 log(ms) -4.285 [6]a, I(1) log(ms) -7.640 [0]a, I(1) 2000M05 log(ms) -4.285 [6]a, I(1) log(ms) -7.640 [0]a, I(1) 2000M05 log(ms) -4.285 [6]a, I(1) log(ms) -7.640 [0]a, I(1) 2000M05 log(ms) -4.285 [6]a, I(1) log(ms) -7.640 [0]a, I(1) 2000M05 log(ms) -4.285 [6]a, I(1) log(ms) -7.640 [0]a, I(1) 2000M05 log(ms) -4.285 [6]a, I(1) log	RUSSIA								
Indepen	VARIABLE		I(d)	VARIABLE	WSB	I(d)	BREAK DATE		
Deg(ipi) -3.821090 [11]a.# I(1) log(ipi) -19.75439 [0]a.^ I(1) 2000M05 Deg(ms) -4.949349 [4]a.# I(1) log(ms) -7.782428 [0]a.# I(1) 2000M01 Deg(intr) -8.783821 [3]a.^ I(1) log(intr) -18.24219 [0]a.^ I(1) 2004M01 VARIABLE WOSB I(d) VARIABLE WSB I(d) BREAK DAT Deg(epi) -12.619 [10]a. I(2) log(epi) -11.731 [0]a.^ I(1) 2000M12 Deg(epi) -3.466 [12]a.# I(1) log(epi) -29.323 [0]a.# I(1) 2000M12 Deg(ms) -3.340 [6]a.# I(1) log(intr) -14.897 [0]a.# I(1) 2010M10 Deg(intr) -14.532 [0]a I(1) log(intr) -14.897 [0]a.# I(1) 2010M10 Deg(epi) -4.862 [5]a.^ I(1) log(epi) -8.393 [0]a.# I(1) 2003 Q3 Deg(epi) -5.405 [0]a.# I(1) log(epi) -8.393 [0]a.# I(1) 2018 Q1 Deg(intr) -6.081 [3]a.# I(1) log(epi) -6.869 [0]a.# I(1) 2009 Q4 Deg(ms) -4.982 [0]a.# I(1) log(ms) -5.761 [0]a.# I(1) 2009 Q1 Deg(intr) -3.884 [1]a.# I(0) log(intr) -8.074 [0]a.^ I(1) 2009 Q1 Deg(intr) -9.768 [0]a.^ I(1) log(epi) -10.467 [0]a.# I(1) 2002M10 Deg(epi) -9.768 [0]a.^ I(1) log(epi) -10.467 [0]a.# I(1) 2002M10 Deg(epi) -4.558 [2]a.# I(1) log(ipi) -12.294 [0]a.# I(1) 2001M05 Deg(intr) -4.285 [6]a.# I(1) log(ipi) -13.004 [0]a.^ I(1) 2001M05 Deg(intr) -4.285 [6]a.# I(1) log(ipi) -7.640 [0]a.^ I(1) 2001M05 Deg(ms) -4.285 [6]a.# I(1) log(ipi) -7.640 [0]a.^ I(1) 2001M05 Deg(ms) -4.285 [6]a.# I(1) log(ipi) -7.640 [0]a.^ I(1) 2001M05 Deg(ms) -4.285 [6]a.# I(1) log(ipi) -7.640 [0]a.^ I(1) 2000M05 Deg(ms) -4.285 [6]a.# I(1) log(ims) -7.640 [0]a.^ I(1) 2000M05 Deg(ms) -4.285 [6]a.# I(1) log(ims) -7.640 [0]a.^ I(1) 2000M05 Deg(ms) -4.285 [6]a.# I(1) log(ims) -7.640 [0]a.^ I(1) 2000M05 Deg(ms) -4.285 [6]a.# I(1) log(ims) -7.640 [0]a.^ I(1) 2000M05 Deg(ms) -4.285 [6]a.# I(1)	log(cpi)	-3.900243 [12] ^{a,#}	I(1)	log(cpi)	-7.974782 [0] ^{a,#}	I(1)	2001M06		
Log(ms) -4.949349 [4] ^{a,#} I(1) log(ms) -7.782428 [0] ^{a,#} I(1) 2000M01 log(intr) -8.783821 [3] ^{a,*} I(1) log(intr) -18.24219 [0] ^{a,*} I(1) 2004M01	log(er)	-11.35222 [0] ^{a,#}	I(1)	log(er)	-12,81438 [0] ^{a,#}	I(1)	2015M01		
No No No No No No No No	log(ipi)	-3.821090 [11] ^{a,#}	I(1)	log(ipi)	-19.75439 [0] ^{a,^}	I(1)	2000M05		
INDIA VARIABLE WOSB I(d) VARIABLE WSB I(d) BREAK DAT log(cpi) -12.619[10]a I(2) log(cpi) -11.731[0]a,^ I(1) 2000M12 log(er) -10.512[0]a,^ I(1) log(er) -11.072[0]a,^ I(1) 2000M12 log(ms) -3.466[12]b,	log(ms)		I(1)	log(ms)	-7.782428 [0] ^{a,#}	I(1)	2000M01		
VARIABLE WOSB I(d) VARIABLE WSB I(d) BREAK DATE log(cpi) -12.619[10]³ I(2) log(cpi) -11.731[0]a,^ I(1) 2000M12 log(er) -10.512[0]³ I(1) log(er) -11.072[0]a,^ I(1) 2008M10 og(ipi) -3.466[12]³ I(1) log(ipi) -29.323[0]a,^ I(1) 2000M12 log(ms) -3.340[6]c,# I(1) log(ms) -29.323[0]a,# I(1) 2000m08 log(intr) -14.532[0]³ I(1) log(intr) -14.897[0]a,# I(1) 2010M10 CHINA VARIABLE WOSB I(d) VARIABLE WSB I(d) BREAK DAT log(cpi) -4.862[5]³ I(1) log(cpi) -8.393[0]³ I(1) 2003 Q3 log(er) -5.405 [0]³ I(1) log(cpi) -8.893[0]³ I(1) 2018 Q1 log(ipi) -6.081[3]³ I(1) log(ipi) -10.548[0]³ I(1) 2009 Q1 log(ipi)<	log(intr)	-8.783821 [3] ^{a,^}	I(1)	log(intr)	-18.24219 [0] ^{a,^}	I(1)	2004M01		
log(cpi) -12.619[10]a^{\chicklet} I(2) log(cpi) -11.731[0]a,^{\chicklet} I(1) 2000M12 log(er) -10.512[0]a,^{\chicklet} I(1) log(er) -11.072[0]a,^{\chicklet} I(1) 2008M10 og(ipi) -3.466[12]b,# I(1) log(ipi) -29.323[0]a,# I(1) 2000m08 log(intr) -14.532[0]a I(1) log(intr) -14.897[0]a,# I(1) 2010M10 CHINA VARIABLE WOSB I(d) VARIABLE WSB I(d) BREAK DAT log(cpi) -4.862[5]a,^{\chicklet} I(1) log(cpi) -8.393[0]a,# I(1) 2003 Q3 log(er) -5.405 [0]a,# I(1) log(er) -6.869 [0]a,# I(1) 2018 Q1 log(ipi) -6.081[3]a,# I(1) log(ipi) -10.548[0]a,* I(1) 2009 Q1 log(ims) -4.982[0]a,# I(1) log(ims) -5.761[0]a,# I(1) 2009 Q1 variable WOSB I(d) VARIABLE WSB I(d)<									
log(er) -10.512[0]³^^ I(1) log(er) -11.072[0]a,^ I(1) 2008M10 og(ipi) -3.466[12]³, † I(1) log(ipi) -29.323[0]a, † I(1) 2000M12 log(ms) -3.340[6]°, † I(1) log(intr) -14.897[0]a, † I(1) 2000m08 log(intr) -14.532[0]³ I(1) log(intr) -14.897[0]a, † I(1) 2010M10 CHINA VARIABLE WOSB I(d) VARIABLE WSB I(d) BREAK DAT log(cpi) -4.862[5]³ I(1) log(cpi) -8.393[0]³ I(1) 2003 Q3 log(er) -5.405 [0]³ I(1) log(er) -6.869 [0]³ I(1) 2018 Q1 log(ipi) -6.081[3]³ I(1) log(ipi) -10.548[0]³ I(1) 2009 Q1 log(ms) -4.982[0]³ I(1) log(ipi) -5.761[0]³ I(1) 2009 Q1 log(intr) -3.884[1]³ I(0) log(intr) -8.074[0]³ I(1) 2009 Q1							BREAK DATE		
og(ipi) -3.466[12] ^{b,#} I(1) log(ipi) -29.323[0]a,^ I(1) 2000M12 log(ms) -3.340[6] ^{c,#} I(1) log(ms) -29.323[0]a,# I(1) 2000m08 log(intr) -14.532[0] ^a I(1) log(intr) -14.897[0]a,# I(1) 2010M10 CHINA VARIABLE WOSB I(d) VARIABLE WSB I(d) BREAK DAT log(cpi) -4.862[5] ^{a,^*} I(1) log(cpi) -8.393[0] ^{a,#} I(1) 2003 Q3 log(er) -5.405 [0] ^{a,#} I(1) log(er) -6.869 [0] ^{a,#} I(1) 2018 Q1 log(ipi) -6.081[3] ^{a,#} I(1) log(ipi) -10.548[0] ^{a,*} I(1) 2009 Q4 log(ms) -4.982[0] ^{a,#} I(1) log(ms) -5.761[0] ^{a,#} I(1) 2009 Q1 log(intr) -3.884[1] ^{a,#} I(0) log(intr) -8.074[0] ^{a,*} I(1) 2009 Q1 SOUTH AFRICA VARIABLE WOSB I(d) VARIABLE <									
log(ms) -3.340[6] ^{c,#} I(1) log(ms) -29.323[0]a,# I(1) 2000m08 log(intr) -14.532[0] ^a I(1) log(intr) -14.897[0]a,# I(1) 2010M10 EHINA	_			=					
Independent									
CHINA VARIABLE WOSB I(d) VARIABLE WSB I(d) BREAK DAT log(cpi) -4.862[5]a.^^ I(1) log(cpi) -8.393[0]a.# I(1) 2003 Q3 log(er) -5.405 [0]a.# I(1) log(er) -6.869 [0]a.# I(1) 2018 Q1 log(ipi) -6.081[3]a.# I(1) log(ipi) -10.548[0]a.^^ I(1) 2009 Q4 log(ms) -4.982[0]a.# I(1) log(ms) -5.761[0]a.# I(1) 2009 Q1 log(intr) -3.884[1]a.# I(0) log(intr) -8.074[0]a.^^ I(1) 2009 Q1 SOUTH AFRICA VARIABLE WOSB I(d) BREAK DAT log(cpi) -9.768 [0]a.^^ I(1) log(cpi) -10.467 [0]a.# I(1) 2002M10 log(er) -10.986 [0]a.^^ I(1) log(er) -12.294 [0]a.# I(1) 2001M12 log(ipi) -4.558[2]a.# I(1) log(ipi) -13.004[0]a.^^ I(1) 2001M05	log(ms)	-3.340[6] ^{c,#}	I(1)	log(ms)	-29.323[0]a,#	I(1)	2000m08		
VARIABLE WOSB I(d) VARIABLE WSB I(d) BREAK DATE log(cpi) -4.862[5] ^{a.^^} I(1) log(cpi) -8.393[0] ^{a.#} I(1) 2003 Q3 log(er) -5.405 [0] ^{a.#} I(1) log(er) -6.869 [0] ^{a.#} I(1) 2018 Q1 log(ipi) -6.081[3] ^{a.#} I(1) log(ipi) -10.548[0] ^{a.^} I(1) 2009 Q4 log(ms) -4.982[0] ^{a.#} I(1) log(ms) -5.761[0] ^{a.#} I(1) 2009 Q1 log(intr) -3.884[1] ^{a.#} I(0) log(intr) -8.074[0] ^{a.^^} I(1) 2009 Q1 SOUTH AFRICA VARIABLE WOSB I(d) VARIABLE WSB I(d) BREAK DATE log(cpi) -9.768 [0]a,^^ I(1) log(cpi) -10.467 [0]a,# I(1) 2002M10 log(er) -10.986 [0]a,^^ I(1) log(er) -12.294 [0]a,# I(1) 2001M12 log(ipi) -4.558[2]a,# I(1) log(ipi) -13.004[0]a,^^ I(1) 20	log(intr)	-14.532[0] ^a	I(1)	log(intr)	-14.897[0]a,#	I(1)	2010M10		
log(cpi) -4.862[5] ^{a,^^} I(1) log(cpi) -8.393[0] ^{a,#} I(1) 2003 Q3 log(er) -5.405 [0] ^{a,#} I(1) log(er) -6.869 [0] ^{a,#} I(1) 2018 Q1 log(ipi) -6.081[3] ^{a,#} I(1) log(ipi) -10.548[0] ^{a,^} I(1) 2009 Q4 log(ms) -4.982[0] ^{a,#} I(1) log(ms) -5.761[0] ^{a,#} I(1) 2009 Q1 log(intr) -3.884[1] ^{a,#} I(0) log(intr) -8.074[0] ^{a,^*} I(1) 2009 Q1 SOUTH AFRICA VARIABLE WOSB I(d) VARIABLE WSB I(d) BREAK DAT log(cpi) -9.768 [0]a,^* I(1) log(cpi) -10.467 [0]a,# I(1) 2002M10 log(er) -10.986 [0]a,^* I(1) log(er) -12.294 [0]a,# I(1) 2001M05 log(ipi) -4.558[2]a,# I(1) log(ipi) -13.004[0]a,^* I(1) 2001M05 log(ms) -4.285[6]a,# I(1) log(ms) -7.640[0]a,^* I(1)				CHINA					
log(er) -5.405 [0] ^{a,#} I(1) log(er) -6.869 [0] ^{a,#} I(1) 2018 Q1 log(ipi) -6.081[3] ^{a,#} I(1) log(ipi) -10.548[0] ^{a,^*} I(1) 2009 Q4 log(ms) -4.982[0] ^{a,#} I(1) log(ms) -5.761[0] ^{a,#} I(1) 2009 Q1 SOUTH AFRICA VARIABLE WOSB I(d) VARIABLE WSB I(d) BREAK DAT log(cpi) -9.768 [0]a,^* I(1) log(cpi) -10.467 [0]a,# I(1) 2002M10 log(er) -10.986 [0]a,^* I(1) log(er) -12.294 [0]a,# I(1) 2001M12 log(ipi) -4.558[2]a,# I(1) log(ipi) -13.004[0]a,^* I(1) 2001M05 log(ms) -4.285[6]a,# I(1) log(ms) -7.640[0]a,^* I(1) 2000M05	VARIABLE	WOSB	I(d)	VARIABLE	WSB	I(d)	BREAK DATE		
log(ipi) -6.081[3]a,# I(1) log(ipi) -10.548[0]a,^^ I(1) 2009 Q4 log(ms) -4.982[0]a,# I(1) log(ms) -5.761[0]a,# I(1) 2009 Q1 SOUTH AFRICA VARIABLE WOSB I(d) VARIABLE WSB I(d) BREAK DAT log(cpi) -9.768 [0]a,^ I(1) log(cpi) -10.467 [0]a,# I(1) 2002M10 log(er) -10.986 [0]a,^ I(1) log(er) -12.294 [0]a,# I(1) 2001M12 log(ipi) -4.558[2]a,# I(1) log(ipi) -13.004[0]a,^ I(1) 2001M05 log(ms) -4.285[6]a,# I(1) log(ms) -7.640[0]a,^ I(1) 2000M05	log(cpi)	-4.862[5] ^{a,^}	I(1)	log(cpi)	-8.393[0] ^{a,#}	I(1)	2003 Q3		
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	log(er)	-5.405 [0] ^{a,#}	I(1)	log(er)	-6.869 [0] ^{a,#}	I(1)	2018 Q1		
Iog(intr) -3.884[1]a.# I(0) log(intr) -8.074[0]a.^ I(1) 2009 Q1	log(ipi)	-6.081[3] ^{a,#}	I(1)	log(ipi)	-10.548[0] ^{a,^}	I(1)	2009 Q4		
SOUTH AFRICA VARIABLE WOSB I(d) VARIABLE WSB I(d) BREAK DAT log(cpi) -9.768 [0]a,^ I(1) log(cpi) -10.467 [0]a,# I(1) 2002M10 log(er) -10.986 [0]a,^ I(1) log(er) -12.294 [0]a,# I(1) 2001M12 log(ipi) -4.558[2]a,# I(1) log(ipi) -13.004[0]a,^ I(1) 2001M05 log(ms) -4.285[6]a,# I(1) log(ms) -7.640[0]a,^ I(1) 2000M05	log(ms)	-4.982[0] ^{a,#}	I(1)	log(ms)	-5.761[0] ^{a,#}	I(1)	2009 Q1		
VARIABLE WOSB I(d) VARIABLE WSB I(d) BREAK DATE log(cpi) -9.768 [0]a,^ I(1) log(cpi) -10.467 [0]a,# I(1) 2002M10 log(er) -10.986 [0]a,^ I(1) log(er) -12.294 [0]a,# I(1) 2001M12 log(ipi) -4.558[2]a,# I(1) log(ipi) -13.004[0]a,^ I(1) 2001M05 log(ms) -4.285[6]a,# I(1) log(ms) -7.640[0]a,^ I(1) 2000M05	log(intr)	-3.884[1] ^{a,#}	I(0)	log(intr)	-8.074[0] ^{a,^}	I(1)	2009 Q1		
log(cpi) -9.768 [0]a,^ I(1) log(cpi) -10.467 [0]a,# I(1) 2002M10 log(er) -10.986 [0]a,^ I(1) log(er) -12.294 [0]a,# I(1) 2001M12 log(ipi) -4.558[2]a,# I(1) log(ipi) -13.004[0]a,^ I(1) 2001M05 log(ms) -4.285[6]a,# I(1) log(ms) -7.640[0]a,^ I(1) 2000M05				SOUTH AFF	RICA				
log(er) -10.986 [0]a,^ I(1) log(er) -12.294 [0]a,# I(1) 2001M12 log(ipi) -4.558[2]a,# I(1) log(ipi) -13.004[0]a,^ I(1) 2001M05 log(ms) -4.285[6]a,# I(1) log(ms) -7.640[0]a,^ I(1) 2000M05	VARIABLE	WOSB	I(d)	VARIABLE	WSB	I(d)	BREAK DATE		
log(ipi) -4.558[2]a,# I(1) log(ipi) -13.004[0]a,^ I(1) 2001M05 log(ms) -4.285[6]a,# I(1) log(ms) -7.640[0]a,^ I(1) 2000M05	log(cpi)	-9.768 [0]a,^	I(1)	log(cpi)	-10.467 [0]a,#	I(1)	2002M10		
log(ms) -4.285[6]a,# I(1) log(ms) -7.640[0]a,^ I(1) 2000M05	log(er)	-10.986 [0]a,^	I(1)	log(er)	-12.294 [0]a,#	I(1)	2001M12		
log(ms) -4.285[6]a,# I(1) log(ms) -7.640[0]a,^ I(1) 2000M05	log(ipi)	-4.558[2]a,#	I(1)	log(ipi)	-13.004[0]a,^	I(1)	2001M05		
		-4.285[6]a,#	I(1)		-7.640[0]a,^		2000M05		
log(intr) -8.918[0]a,# I(0) log(intr) -9.642[0]a,^ I(1) 2003M10	log(intr)	-8.918[0]a,#	I(0)	log(intr)	-9.642[0]a,^	I(1)	2003M10		
Reference Country (US)									
log(us_cpi) -9.851845[1] ^{a,#} I(1) log(us_cpi) -10.99778[1] ^{a,^} I(1) 2008M11	log(us_cpi)	-9.851845[1] ^{a,#}	I(1)			I(1)	2008M11		
$log(us_ipi)$ -4.522002[15] ^{a,#} $I(1)$ $log(us_ipi)$ -24.30762[0] ^{a,^} $I(1)$ 2000M06	log(us_ipi)	-4.522002[15] ^{a,#}	I(1)	log(us_ipi)	-24.30762[0] ^{a,^}	I(1)	2000M06		
log(us_ms) -12.14529[0] ^{a,#} I(1) log(us_ms) -13.32207[0] ^{a,#} I(1) 2000M06	log(us_ms)	-12.14529[0] ^{a,#}			-13.32207[0] ^{a,#}		2000M06		

Note: a, b and c denote 1%, 5% and 10% level of statistical significance; WOSB = without structural breaks; WSB = with structural breaks; ^ represents test with intercept; # represents test with trend and intercept.

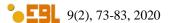


Table 3. Summary of Cointegration test results.

Country	F-test Statistics	ARDL(p,q,q,q,q)	Remark
Brazil	5.38	(2,0,0,0,3)	Cointegration @5%
Russia	7.00	(2,0,1,0,4)	Cointegration @1%
India	5.80	(2,1,0,0,0)	Cointegration @5%
China	2.08	(2,0,0,0,0,0)	No Cointegration @10%
South Africa	3.80	(2,0,0,0,0)	Cointegration @10%

Note. The null hypothesis of no Cointegration are evaluated for 1%, 5% and 10% significance levels as indicated in the remarks.

4. Discussion of results

In Table 4, we present the comprehensive results of the four variants of the ARDL models yielding the short and long-run estimates for the interest rate differential-exchange rate relationship for each of the BRICS countries. Starting with the linear ARDL model (with and without structural breaks) which assumes symmetric response of exchange rate to interest rate differential, we find that changes in exchange rate can be explained by the differential in interest rate in the short-run in India and South Africa and in the long run in Brazil. As expected of a country with a fixed exchange rate regime, we find no evidence of significant relationship between the China-US exchange rate and interest rate differential in both the short and long-run. The coefficients return with negative signs (supporting the sticky-price model) in most of the cases except in Russia.

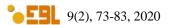
Motivated by the argument that exchange rate could respond asymmetrically to interest rate differential, we further account for non-linearity in the ARDL framework. We address this in the two variants of linear ARDL models; the one without and the one with structural breaks. Results confirm our surmise that exchange rate movement indeed respond asymmetrically to interest rate differential in most of the economies (four out of the five BRICS countries). In Brazil, with and without structural breaks in the nonlinear model estimated, asymmetry matters in both short and the long run; in China, asymmetry is evident in both time horizons without accounting for structural breaks. However, accounting for asymmetry only matters in the short run response of exchange rate to interest differential in India and South Africa. In Russia however, bearing statistical insignificance, there is also dissimilar impacts of negative and positive changes of interest rate differential on exchange rate whether we consider specification with or without structural breaks.

As a step forward, we construct the graphs of dynamic multipliers from the asymmetric models with a view to tease out the contributions of each of the regressors to the variations in the regressand (exchange rate) and also show the asymmetry more clearly (Huettner and Sunder, 2011 provided the necessary guide). Since we are more concerned with the asymmetric effects of interest rate differential on exchange rate movements, we limit our discussion to the graphs in the first quadrants in Figure 2. These show the asymmetric response of exchange rate to interest rate differential in four countries (Brazil, Russia, China and South Africa). Importantly, the asymmetry shown in China may be better captured with a threshold model. This may explain the result of no Cointegration reported for China for all the ARDL variants considered.

In all, we establish that interest rate differential is a major determinant of exchange rate movements in the BRICS countries. Beyond that, we show that the nexus is not monotonic but reflect asymmetry and the effect of structural breaks in the data.

Table 4. ARDL and NARDL regression results.

BRAZIL	ARDL_WOSB (2,0,0,0,3)	ARDL_WSB (2,0,0,1,0)	NARDL_WOSB (2,0,0,0,0,0)	NARDL_WSB (2,0,0,0,0,0)
		Long-Run		
INTR	0.1245 ^b (0.0626)	-0.0066(0.1084)	-	-
$INTR^+$	- ′	-	0.1129 ^b (0.0562)	0.0233a(0.0785)
INTR-	-	-	-0.1244(0.0925)	-0.0982° (0.0562)
Control Variables	YES	YES	YES	YES
Common variables	120	Short-Run	120	120
$\Delta INTR$	-0.0227 (0.0154)	-0.0002(0.0031)	_	_
ΔINTR ⁺	-0.0227 (0.0134)	-0.0002(0.0031)	0.0063°(0.0043)	0.0191a(0.0057)
ΔINTR-	-	-	` ,	-0.0080 ^b (0.0037)
	VEC	VEC	-0.0070°(0.0037) YES	
Control Variables	YES	YES		YES
ECT	-0.0537 ^a (0.0103)	-0.0283 ^a (0.0141)	-0.0559a(0.0168)	-0.0817 ^a (0.0186)
0.0 (10)	10.071	Residual Diagnostics	10.710	0.055
Q-Stat (10)	12.051	13.183	10.642	9.977
Q^2 -Stat (10)	17.761 ^b	36.300^{a}	30.070^{a}	29.406 ^a
		ARCH LM		
ARCH LM (5)	0.3764	0.3976	0.7042	0.3912
ARCH LM (10)	1.3594	1.5323	1.1381	1.3251
		Model Diagnostics		
Adj R ²	0.98	0.98	0.98	0.98
F-Statistic	1292.83a	1482.24a	1717.67 ^a	1551.08a
SIC	-3.7108	-3.6587	-3.6918	-3.7033
AIC	-3.9778	-3.7950	-3.8129	-3.8396
	ARDL_WOSB	ARDL_WSB	NARDL_WOSB	NARDL_WSB
RUSSIA	(2,0,1,0,4)	(2,0,1,0,4)	(2,0,0,1,4,4)	(2,0,0,1,0,4)
	_,~,~, ~ ,~,,~,	Long-Run	\	_,_,_,_,_,_,_,_,_,_,_,_,_,\
INTR	0.0084(0.0337)	-0.0072(0.0172)	-	_
INTR ⁺	0.000+(0.0331)	0.0072(0.0172)	-0.0232(0.0032)	0.0511 (0.0574)
INTR-	_	-	-0.0232(0.0032)	-0.0033 (0.0220)
Control Variable	YES	YES	YES	YES
Control variable	163		1 E3	I ES
A IN TIERD	0.000 ((0.0000)	Short-Run		
ΔINTR	0.0006(0.0022)	-0.0012(0.0027)	-	-
$\Delta INTR^+$	-	-	-0.0023(0.0031)	0.0078(0.0081)
$\Delta INTR^{-}$	-	-	-0.00270(0.0032)	-0.0005 (0.0034)
Control Variable	YES	YES	YES	YES
ECT	- 0.0652a(0.0188)	-0.1612 ^a (0.0270)	$-0.0978^{a}(0.0207)$	-0.1531a(0.0253)
		Residual Diagnostics		
Q-Stat (10)	14.051	16.501°	16.007 ^c	15.376
Q^2 -Stat (10)	77.817 ^a	55.230 ^a	56.506 ^a	50.316 ^a
ARCH LM (5)	2.6617 ^b	1.8311	1.1974	1.4011
ARCH LM (10)	2.2159	2.0143 ^b	1.9861 ^b	1.8498 ^c
7 IIVC11 LIVI (10)	2.2137	Model Diagnostics	1.7001	1.0+70
Adi D2	0.00		0.00	0.00
Adj R ²	0.99	0.99	0.99	0.99
F-Statistics	1591.68 ^a	1751.91 ^a	1485.09 ^a	1633.25 ^a
SIC	-3.9369	-3.8377	-3.7674	-3.8171
AIC	-4.0352	-4.0661	-4.0264	-4.0608
INDIA	ARDL_WOSB	ARDL_WSB	NARDL_WOSB	NARDL_WSB
:	(2,1,0,0,0)	(2,1,0,0,0)	(2, 1, 0, 0, 0)	(2, 1, 0, 0, 0)
D 100-	0.000 0.510 0.115	Long-Run		
INTR	-8.29E-05(0.0143)	-0.0289°(0.0165)		
$INTR^+$			0.0059(0.0380)	-0.0229 (0.0376)
INTR-			-0.0100(0.0233)	-0.0261(0.0220)
Control Variable	YES	YES	YES	YES
		Short-Run		
$\Delta INTR$	-0.0206 ^b (0.0084)	-0.0024°(0.0013)		
$\Delta INTR(-1)$	0.0205^{b} (0.0085)			
$\Delta INTR(-1)$ $\Delta INTR^+$	0.0203 (0.0003)		0.0005(0.0033)	-0.0022(0.0035)
				-0.0022(0.0055)
ΔINTR-	\$7EG	\$7EG	-0.03634 ^b (0.0143)	*7F0
Control Variable	YES	YES	YES	YES
ECT	-0.0779 ^a (0.0174)	-0.0826 ^a (0.0152)	$-0.0865^{a}(0.0177)$	-0.0939a(0.0171)
		Residual Diagnostics		
Q-Stat (10)	15.058	11.821	14.010	11.606



Q^2 -Stat (10)	50.034 ^a	46.976	50.829 ^a	50.993
ARCH LM (5)	6.1635 ^a	6.1254 ^a	6.4662a	6.7972 ^a
ARCH LM (10)	3.6114 ^a	4.2303a	3.7053a	4.3059^{a}
` '		Model Diagno	ostics	
R-squared	0.992212	0.992536	0.992232	0.247759
Adjusted R-	0.991962	0.992225	0.991945	0.230663
squared	0.771702	0.772223	0.771743	0.230003
AIC	-5.528421	-5.553187	-5.522043	-5.577399
SIC				
SIC	-5.407340	-5.401836	-5.385827	-5.486589
CHINA	ARDL_WOSB	ARDL_WSB	NARDL_WOSB	$NARDL_WSB$
	(2,0,0,0,0)	(2,0,0,0,0)		<u> </u>
		Long-Rui	1	
INTR	-0.0275 (0.026)	-0.0345 (0.019)		
$INTR^+$		-	0.0471(0.0380)	0.0331(0.0308)
INTR-	-	-	-0.0915 ^a (0.0329)	-0.0497(0.0369)
Control Variable	YES	YES	YES	YES
		Short-Rui	n	
$\Delta INTR$	-0.0019 (0.002)	-0.003(0.002)		
$\Delta INTR^+$		*****(****=/	0.0058(0.0037)	0.00478(0.0038)
ΔINTR-			-0.0112 ^b (0.0042)	-0.0072 (0.0053)
Control Variable	YES	YES	YES	YES
ECT	$-0.068^{b}(0.028)$	-0.096 ^b (0.042)	-0.1225a(0.0335)	-0.1447 ^b (0.0437)
		Residual Diagr		
Q-Stat (10)	9.491	9.022	10.325	11.101
Q^2 -Stat (10)	12.471	13.715	21.404 ^b	19.365 ^b
ARCH LM (5)	17.505 ^a	28.041a	35.0882^{a}	31.312 ^a
ARCH LM (10)	7.962^{a}	12.529a	16.4860^{a}	14.015 ^a
		Model Diagno	ostics	
R-squared	0.988482	0.989084	0.989527	0.989758
Adjusted r-	0.987451	0.987926	0.988416	0.988497
squared				
AIC	-5.771689	-5.798325	-5.839696	-5.834983
SIC	-5.553737	-5.549237	-5.590608	-5.554758
SOUTH	ARDL_WOSB	ARDL_WSB	NARDL_WOSB	NARDL_WSB
AFRICA	(2,0,0,0,1)	(2,0,0,0,1)	(2,0,0,0,0,0)	(2,0,0,0,0,0,0)
	(2,0,0,0,1)	Long-Rui		(2,0,0,0,0,0,)
INTD	0.7021 (2.2960)	Long-Rui	1	
INTR	-0.7031 (2.2860)		0.21504 (0.2155)	0.05050 (0.1055)
$INTR^+$	-		0.31504 (0.3157)	0.05852 (0.1265)
INTR	-		-0.4975 (0.4214)	-0.1288 (0.0990)
Control Variable	YES	YES	YES	YES
		Short-Rui	n	
Δ INTR	$-0.0053^{\circ}(0.0028)$			
$\Delta INTR^+$			0.0092 (0.0063)	0.0049 (0.0107)
$\Delta INTR^{-}$			-0.0146 ^b (0.0057)	-0.0109 (0.0072)
Control Variable	YES	YES	YES	YES
ECT	-0.0075 ^a (0.0025)		-0.029262 ^a (0.0087)	-0.0842 ^a (0.0187)
EC1	0.0075 (0.0025)	Serial Correla		0.0012 (0.0107)
O Stat (10)	11 455	Schar Correia	10.634	10.569
Q-Stat (10)	11.455			10.568
Q ² -Stat (10)	7.3472		8.0781	5.9679
ARCH LM (5)	0.0421		0.0770	0.0807
ARCH LM (10)	0.6508			0.5158
		Model Diagno		
R-Squared	0.9829		0.9827	0.9834
Adjusted R-	0.9823		0.9821	0.9827
squared				
AIC	-3.7706		-3.761250	-3.7794
SIC	-3.649553		-3.6402	-3.6129

Note: ARDL = Autoregressive Distributed Lag Model; NARDL = Nonlinear ARDL; WOSB = Without Structural Break; WSB = With Structural Break; ECT = Error Correction Term; ARCH LM = Autoregressive Conditional Heteroscedasticity Lagrangian Multiplier test; AIC = Akaike Information Criterion; SIC = Schwartz Information Criterion; Q-Stat = Ljung-Box Residual Statistic; Q²-Stat = Ljung-Box Squared Residual Statistic.

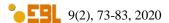
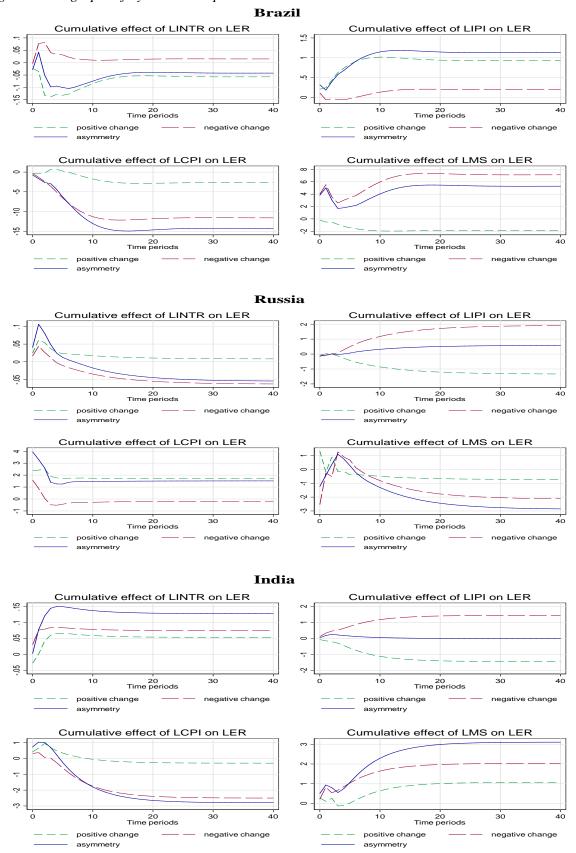
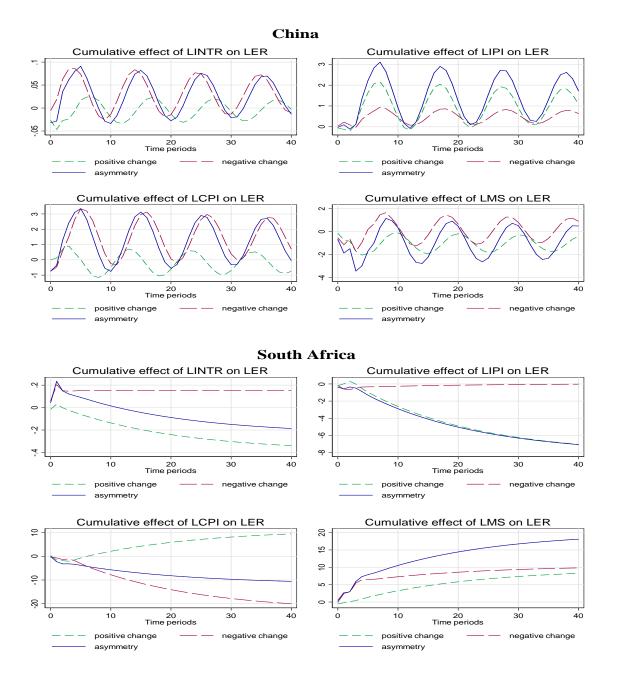


Figure 2: The graphs of dynamic multipliers





5. Conclusion

The study examines the interest rate differential and exchange rate nexus in the BRICS countries, studying the asymmetric relationship and accounting for structural breaks evident in the data. Consequently, we adopt four ARDL variants namely; the linear ARDL model (with and without structural break); and the nonlinear ARDL with and without structural breaks. In the end, the study shows that asymmetry and structural break matter in the largely negative relationships. These are clear in four out of five countries studied. Further results obtained from the graphs of dynamic multipliers clearly show that the nexus between interest rate differential and exchange rate is nonlinear but that of China is of threshold-type, rather than asymmetry-type (i.e. positive and negative asymmetries).

References

Auten, J. H. (1963) Forward Exchange Rates and Interest-Rate Differentials, *Journal of Finance*, XVIII, 11-19.

- Beju, D., and Ciupac-Ulici, M. (2015) Taylor Rule in Emerging Countries: Romanian Case, *Procedia Economics and Finance*, 32, 1122-1130.
- Beng, G. W., and Ying, S. L. (2010) Exchange rate and interest rate differential: the case of the Malaysian Ringgit/US Dollar, *Applied Economics Letters*, 7, 95-97.
- Bilson, J. (1978) The monetary approach to the exchange rate some empirical evidence, *International Monetary Fund Papers*, 25, 48-75.
- Ding, L., and Yang, Q. (2017) Asymmetric impact of monetary surprises on exchange rate, *Applied Economics*, 50, 789-803.
- Dornbusch, R. (1976) Expectations and exchange rate dynamics, *Journal of Political Economy*, 84, 1161–1176.
- Engel, C. (2016) Exchange rates, interest rates, and the risk premium, *American Economic Review*, 106 (2), 436–474.
- Fauzel, S. (2017) The impact of FDI on CO2 emission in a small island developing state: A cointegration approach, *Economics and Business Letters*, 6(1), 6-13.
- Frankel, J. A. (1979) On the Mark: a theory offloating exchange rates based on real interest differentials, *American Economic Review*, 69(4), 610–622.
- Frenkel, J. (1976) A monetary approach to the exchange rate: doctrinal aspects and empirical evidence, *Scandinavian Journal of Economics*, 78, 255-76.
- Galstyan, V., and Velic, A. (2017) Debt thresholds and real exchange rates: An emerging markets perspective, *Journal of International Money and Finance*, 70, 452-470.
- Hacker, R. S., Karlsson, H. K., and Mansson, K. (2014). An investigation of the causal relations between exchange rates and interest rate differentials using wavelets, *International Review of Economics and Finance*, 29, 321–329.
- Hooper, P., and Morton, J. (1982) Fluctuations in the dollar: a model of nominal and real exchange rate determination, *Journal of International Money and Finance*, 1, 39–56.
- Huettner, F., and Sunder, M. (2011) Decomposing R2 with the Owen value, *Faculty of Economics and Management Science*, University of Leipzig, working paper ref. 100.
- Jackman, M., Craigwell, R., and Doyle-Lowe, M. (2013) Nonlinearity in the reaction of the foreign exchange market to interest rate differentials: Evidence from a small open economy with a long-term peg, *Applied Financial Economics*, 23(4), 287-296
- Kilian, L.. and Taylor, M. P. (2003) Why is it so difficult to beat the random walk forecast of exchange rates?, *Journal of International Economics*, 60, 85–107.
- Meese, R., and Rogoff, K. (1983) Empirical exchange rate models of the seventies: do they fit out of sample?, *Journal of International Economics*, 14, 3–24.
- Moosa, I., and Burns, K. (2014) Error correction modelling and dynamic specifications as a conduit to outperforming the random walk in exchange rate forecasting, *Applied Economics*, 46(25), 3107-3118.
- Shin, Y., Yu, B., and Greenwood-Nimo, M. (2014), *Modelling asymmetric cointegration and dynamic multipliers in a nonlinear ARDL framework*, DOI: 10.2139/ssrn 1807745.
- Vygodina, A. V., Zorn, T. S., and DeFusco, R. (2008) Asymmetry in the effects of economic fundamentals on rising and falling exchange rates, *International Review of Financial Analysis*, 17, 728–746.
- Woo, K. Y., and Lee, S. K. (2018) Price convergence in the UK supermarket chains: Evidence from nonlinear cointegration approach, *Economics and Business Letters*, 7(3), 115-125.
- Wulandari, R. (2012) Do credit channel and interest rate channel play important role in monetary transmission mechanism in Indonesia? A structural vector autoregression model, *Procedia Behavioural Sciences*, 65, 557-563.

